• PROBLEM D Toving Liles

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The computer science Professor Toving Liles loves the floor tiles in his office so much that he wants to protect them from damage by careless students. Therefore, he would like to buy cheap small rectangular carpets from the supermarket and cover the floor such that:





The entire floor is covered

The carpets do not overlap

The carpets are rotated arbitrarily

No carpet is cut into pieces

But when checking the supermarket's stock, he begins to wonder whether he can accomplish his plan at all. Can you help him?



Input

Sample Input



Output

Sample Output

print "yes" if it is possible to cover the room, otherwise "no"

yes























































```
boolean findSolution(Level, Room):
repeat as long as there are still new partial solution steps:
    choose a new partial solution step;
    if choice is valid:
        add choice to Room;
        if room is full: return true; // solution found!
        otherwise:
        if (FindSolution(Level + 1, Room)): return true; // solution!
        otherwise undo choice; // dead end (backtracking)!
    since there is no new partial solution step: return false // no solution!
```





correct solution





correct partial solution with still available carpets





 $\overline{N_{\text{max, Level 1}}} = 14$

Runtime The second line contains an integer *C*, denoting the number of Input: different carpet colors the supermarket has in stock $(1 \le c \le 7)$. The supermarket has at most 7 carpets, i.e., $\sum_i a_i \leq 7$.

 $N_{\text{max, Level 2}} = 14 * 12 = 168$

Runtime

$$N_{\max, \text{Level }l} = 2^l \frac{c!}{(c-l)!} \qquad c \ge l$$

Ist. Level: $2^{1} \frac{7!}{(7-1)!} = 14$ 2nd. Level: $2^{2} \frac{7!}{(7-2)!} = 168$ 3rd. Level: $2^{3} \frac{7!}{(7-3)!} = 1680$ 4th. Level: $2^{4} \frac{7!}{(7-4)!} = 13440$

5th. Level: $2^{5} \frac{7!}{(7-5)!} = 80640$ 6th. Level: $2^{6} \frac{7!}{(7-6)!} = 322560$ 7th. Level: $2^{7} \frac{7!}{(7-7)!} = 645120$

Runtime

$$N_{\max} = \sum_{l=1}^{7} 2^{l} \frac{7!}{(7-l)!} = 1063622$$

Runtime



GOOD LUCK

When your code compiles after 253 failed attempts

